

(Please use your own paper. Please leave plenty of space between each answer).

1. Consider the point $\left(-2, \frac{3\pi}{4}\right)$ in polar coordinates.
 - a. Graph the point.
 - b. Give two alternative representations for the point (in polar coordinates).
 - c. Express the point in Cartesian coordinates.
2. Consider the point $(1, -2)$ in Cartesian coordinates. Give two alternative representations (in polar coordinates) for the point. Hint: You can write $\arctan(2)$ or use a calculator to approximate it.
3. Consider the polar equation $r^2 \cos 2\theta = 1$.
 - a. Convert the polar equation to Cartesian equation.
 - b. Identify the curve. Hint: See page 678, Sec 10.5.
4. Consider the polar equation $r = \tan \theta \sec \theta$.
 - a. Convert the polar equation to Cartesian equation.
 - b. Identify the curve.
 - c. Put in the polar equation on desmos.com to graph the curve. Sketch it - label at least three points. Type 'theta' for the angle. <https://www.desmos.com/calculator/zpwigtyctf>
 - d. Put in the Cartesian equation on desmos.com and verify that you get the same curve.
5. Consider the Cartesian equation $x^2 + y^2 = 4x$.
 - a. Convert the Cartesian equation $x^2 + y^2 = 4x$ to polar equation.
 - b. Put in the polar equation on desmos.com and sketch the curve - label at least three points.
 - c. Put in the Cartesian equation on desmos.com and verify that you get the same curve.
6. Convert the Cartesian equation $xy = 4$ to polar equation.
7. Sketch the graph of the polar equation $r = 4 \sin 3\theta$ without technology. Then plot the polar equation with desmos.com. Type: $r = 4 \sin(3 \theta)$. <https://www.desmos.com/calculator/zpwigtyctf>
8. Sketch the graph of the polar equation $r = 1 - 2 \sin \theta$ without technology. Then verify your graph with desmos.com. <https://www.desmos.com/calculator/zpwigtyctf>
9. Find the slope of the tangent line of the curve $r = 4 \cos 2\theta$ when $\theta = \frac{\pi}{4}$. Graph the curve using desmos.com so that you can estimate that the slope you've computed makes sense.
10. Find the points on the cardioid $r = 1 + \sin \theta$ where the tangent line is horizontal and where the tangent line is vertical.
Answer: You only need to check when the theta is between 0 and 2pi. Copy Example 9 page 664.