

Math3250 Combinatorics Reading HW 17

Instruction. Submit your homework by email (subject: Math3250 Combinatorics Reading HW 17). Use a scanner app to convert to PDF your handwritten work.

References:

- J. Scott, *Grassmannians and Cluster Algebras*
- A. Postnikov, *Total Positivity, Grassmannians, and Networks*

VIDEO/LECTURE NOTES

Either watch the lecture video of plabic graphs (53 minutes) on YouTube, or read the lecture notes [lecture notes for plabic graphs](#).

Write down what you did. The video is at original speed — you can play the video at faster speed if you are not taking notes.

EXERCISES

- 1.) Prove Claim 1 (p. 2 of the lecture notes). If you cannot prove it in general, then please verify Claim 1 for trips starting at 1, 2, 3, 4, 5, and 6 of the plabic graph labeled D (p. 1 of the lecture notes).
- 2.) Prove the rest of Proposition 2 (p. 3 of the lecture notes): The trip permutation is preserved by a local move (M2) and (M3).
- 3.) Do the rest of Example 3 (p. 4 of the lecture notes): Compute the face labelings of the plabic graphs G_1, G_2, G_3, G_4 .
- 4.) Do HW 4 (p. 5 of the lecture notes). Find a natural map from the set of five plabic graphs G_1, G_2, G_3, G_4, G_5 (on p. 4) to the set of five triangulations of a pentagon (p. 5).

LAST SECTION

- Email me with a couple of the above exercises that you would like to show during class on Tue Apr 28.
- Questions, comments, suggestions?